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## A Quick Re-Route Procedure

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### ABSTRACT

*We approach to find a redundant route, after having a web page link failure, from the source node to a destination node, prior to Interior Entrance Method (Open Shortest Path First) has had to be able to re-converge throughout a reaction to your failure. The markup is usually a modest (up in order to tens of nodes) regional accessibility sub-network of a support provider's multilevel, the usual accessibility level found in practice. We underscore the process along with verifying it can get a route when just one prevails.*

**Keyword:** Routing Protocols, Substitute Routing, Network Endurance.

### INTRODUCTION

We provide a strategy to discover an alternate course, after having a hyperlink failing, at a supply node with a getaway node. Since convergence of an Inside Portal Standard Protocol (IGP) (e. Gary the gadget guy., OSPF or even IS-IS) can take numerous milliseconds, there's a requirement for a method that may discover an alternative course inside much less period as compared to this specific. The objective app can be a small (up in order to tens involving nodes) access sub network of your support provider's network, a common level experienced in practice; something company usually has quite a few these kinds of small regional access cpa networks.

Look at a resource node  $s$  giving facts to help desired destination node  $d$ . Assume a few url  $(i, j)$  about the least journey from  $s$  to help  $d$  neglects. An IGP will find another journey from  $s$  to help  $d$  which prevents  $(i, j)$  (assume such a journey exists). Nevertheless, IGP re-convergence will take numerous milliseconds as well as just a few seconds, as well as the bundle loss do your best time period can be improper. Quickly Re-Route (FRR) approaches to establish a brand-new journey from  $s$  to help  $d$  throughout a reduced amount of time period in comparison with important for IGP re-convergence.

There are numerous readily available FRR strategies. One particular technique, utilized in partnership with label-based forwarding (e. h., LDP), results in a great RSVP main tunnel involving every single couple of nodes. Additionally, a avoid tunnel can be pre-defined per arc  $(i, j)$ ; the particular avoid tunnel intended for  $(i, j)$  is really a journey through my spouse and i to be able to  $t$  which can be literally disjoint from the web page link  $(I, j)$ . In the event the bundle grows to node my spouse and i as well as web page link  $(i, j)$  has failed, a nearby fix forwards the particularly targeted visitors along the avoid tunnel intended for  $(i, j)$ ; if your bundle grows to node  $t$ , that carries on for the journey explained by the RSVP main tunnel. The negative aspect of this technique can be which, for any system associated with  $D$  nodes as well as arcs,  $N(N - 1)$  uni-directional main tunnels, as well as  $2A$  uni-directional, avoid tunnels are important.

Another solution to be able to construct tunnels is to use any Loop No cost Substitute (LFA) process ([2], [4]). For almost any a couple of nodes when  $i$  along with  $n$ , make it possible for  $c_{(i, j)}$  are the minimal length involving when  $i$  along with  $n$ .

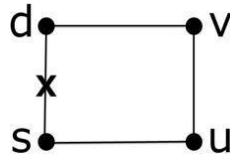


Fig. 1. No LFA for the square

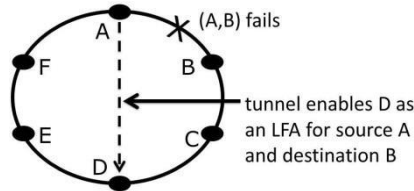


Fig. 2. Remote LFA

$$c(n, d) < c(n, s) + c(s, d) \dots\dots(1)$$

Guess node and is really a neighbor regarding s(i. electronic., they're linked by way of a single arc).

That may be, in is definitely an LFA if your quickest path from n to d doesn't resumes for the arc (n, s). To make sure no matter if a good LFA is present for just a presented s in and d that suffices to discover in the event (1) holds for most next door neighbor n of s

An easy example where LFAs always be there is a three node network whose arc lengths meet the triangle inequality. An easy example where LFAs never exist is the square in Fig. 1 where all arcs will be the same cost. If arc (s, d) fails, then for the other neighbor u of s, before the IGP re-converges the paths  $u \rightarrow s \rightarrow d$  and  $u \rightarrow v \rightarrow d$  have the same cost, so (1) fails to hold for sources and destination d. There are various introduced enhancements of LFA, and several other methods, to extend the set of protocols for which FRR can be got; we now review some of them.

One method to enlarge the actual list of topologies for which LFA keeps is always to create a small number of tunnels, used only in case of failing. In order to illustrate using this method, referred to as rural LFA [3], contemplate Fig. only two exactly where just about all hyperlinks about the band develop the identical charge h. Suppose i am routing from an in order to N, link (A, B) is not able, and also the IGP has not yet re-converged. Then there isn't any LFA, since in the event the bundle will be shipped to Y, that node transmits the actual bundle back into a. This rural LFA strategy results in a good (A, D) tunnel being used on condition that (A, B) is not able; packets using that tunnel and also arriving at N will probably be forwarded in order to Chemical after which it in order to N. Therefore using this more tunnel, N can be an LFA with regard to traffic from an in order to N. Also, any (D, A) tunnel tends to make Some sort of a good LFA with regard to supply N and also getaway Chemical in the event arc (D, C) is not able. Considering just about all possible source/destination twos, earnings of six tunnels, being used only in case there is a hyperlink inability, are expected. On the whole, however, the out of the way LFA approach utilizes a lot fewer tunnels than the full mesh tunnel-based RSVP approach, the idea still needs a case by simply case research from the topology to ascertain in which tunnels have to be additional.

The situation associated with seeking the minimal quantity of sides to add, to experience full LFA protection, is studied throughout [10], beneath the presumption that the sides inside the original chart, as well as the sides for being included, hold the similar price tag. They formulate this specific as a possible integer linear system having  $N^3$  variables, in addition, to displaying it is NP-complete. They propose to her any money grubbing heuristic having  $O(N^3(N^2 - M^2))$  complication, which in every turn adds the actual edge that many improves LFA protection.

A different format of the simple LFA method could be the u-turn technique [1]. Look at once more Fig. 2, having An as the source, C as the destination, and wherever link (A, B) failed. Ignore the (A, D) link in this amount; this kind of link had been combined with show remote LFA. Node F isn't an LFA. Although E, some sort of neighbor associated with F, provides the choice associated with forwarding packets to D, who will and then send to node C. That is F can break the "u-turn" by sending to E.. Normally, if  $n_1$  is often a neighbor associated with s, and if  $n_2$  is often a neighbor associated with  $n_1$  in ways that  $c(n_2, t) < c(n_2, s) + c(s, t)$ , and then  $n_1$  must onward the actual box to be able to  $n_2$ . Whilst this kind of can be an advancement associated with LFA, furthermore, it just isn't secured to get another route, regardless of whether one particular is present.

The actual Recursive Loop-Free Alternative (RLFA) method [9] figures change pathways which can maximally edge disjoint on the least route. Let C possibly be the sum of all arcs cost inside the network, and assume  $P(s, d)$  function as the shortest path between s and d. The method adds C in order to just about every link in  $P(s, d)$  after which it figures a brand new least route per pair of nodes. Most of this community alternative upcoming hops is utilized in order to path packets through a failure-free side on the least route

woods rooted at s. Even though this kind of is guaranteed to provide an alternate route (if just one exists) for virtually any individual website link disappointment, it will involve many least route calculations in order to work out the area alternative upcoming hops.

Your MRC approach [7] computes some backup configurations, in a way that each and every website link, as well as node, is actually omitted from forwarding packets in precisely 1 setup. Each and every setup is actually produced by placing website link costs appropriately, and also calculating smallest paths employing these kinds of costs. Each and every router keeps an outside forwarding kitchen table for every single setup. Whenever a website link, as well as node, does not work out, the particular equivalent back-up setup is actually decided on, the particular supply is actually proclaimed using this setup, and is submitted considering this kind of tagging. Your complexity in this approach is actually  $O(n NA)$ , wherein could be the end user chosen amount of sidestep designs wanted, could be the utmost node diploma, and also D along with a usually are the number of nodes and also arcs, respectively.

Centralized change course-plotting techniques are engaged in [8], which also evaluations the particular FRR books and also reveals theoretical results around the lifestyle regarding change paths. An additional class regarding similar techniques ([5], [11]) engages link-reversal, which reverses the particular direction regarding arcs within a directed acyclic chart system.

To conclude, considerable expertise on AT&T, both inside lab and also inside output, has shown the occasion on an IGP for you to reconverge from link failing could be a huge selection of milliseconds. You want to establish another journey inside a smaller amount occasion in comparison with this kind of. LFA, devoid of tunnels, can't deal with such simple situations as the square topology associated with Fig. 1. Tunnel-based methods demand large cost, inside canal design (often done simply by scripting), inside operations/maintenance for you to frequently check the fitness of every single canal, and also inside imposition associated with more express on-line charge cards to compliment forwarding packets along the tunnels. Also, inside purposes such as virtualization associated with VPNs, in the event the task associated with PE (provider edge) course-plotting functionality is moved collected from one of virtual equipment completely to another, upgrade with the tunnels becomes necessary, and also the addition of a fresh node towards VPN demands to create tunnels towards fresh node. A not demanding tunnel is really a lot much easier. Finally, the choice associated with storing precomputed paths demands preprocessing and also storing these types of switch paths, and therefore explains to you the majority of the negatives associated with tunnels.

2. THE METHOD

We now introduce the main points in the approach. Assume  $G = (N, A)$  possibly be a undirected related graph having node set N and arc set A new. For  $x \in N$ , let  $N(x)$  are the list of neighbors of x, the place where a neighbor of x is really a node one arc from x. Most of us keep company with each undirected arc  $(i, j) \in A$  new an amount  $c(i, j)$ , in addition, to needing each  $c(i, j)$  becoming a positive integer. (The integer highly valued restriction could often be satisfied simply by approximating, towards sought after accuracy, each arc cost simply by an incorrect tiny proportion, then increasing number all of the fractions through the minimum typical multiple in the tiny proportion denominators.) Intended for  $i, n \in N$ , permit  $h_{-}(i, j)$  possibly be the expense of your shortest journey within G involving i in addition to n. When utilizing Route(s, d) regarding quick re-route any time an arc failure, which can be the objective software,  $c_{-}(i, j)$  presents your shortest journey cost before the IGP has reconverged within reaction to the connection failure. Let s certainly be a granted supply node, in addition to deb certainly be a granted destination node. Within treatment Route(s, d) under, R can be a requested set of nodes which are going to, in addition to  $R \leftarrow P$ , x means that times is usually inserted following rightmost element in R. In addition,  $\Delta(n)$  is the multiplicity regarding node n, revealing the quantity of occasions n has been went to through the present supply.

In words, in case x is the newest node to receive the packet, many of us chose the pair of others of x with least expensive multiplicity. From this set, we pick the neighbor y for which  $c(x, y) + c_{-}(y, d)$  is actually tiniest. We add X to Pi complement the multiplicity of x by 1, as well as send the supply as well as P to y. Note that P can often calculate your multiplicities; e.g, in case  $P = \{s, f, g, f, s, d, c, a, c, f, g, s, d, c, a\}$  then  $\Delta(a) = 2, \Delta(c) = 3, \Delta(d) = 2, \Delta(f) = 3, \Delta(g) = 2$ , as well as  $\Delta(s) = 3$ . This kind of illustration likewise implies that as an alternative to transmitting V to another node, we could alternatively mail merely your nodes been to as well as their own multiplicities, e.g., we could send  $\{\Delta(a) = 2, \Delta(c) = 3, \Delta(d) = 2, \Delta(f) = 3, \Delta(g) = 2, \Delta(s) = 3\}$ . Note that we

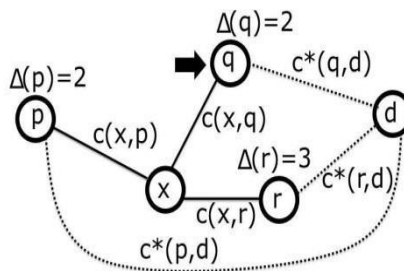


Fig. 3. Picking the next node

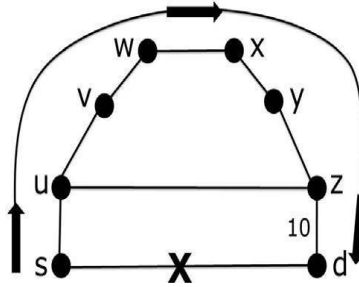


Fig. 4. House topology

optionally might add a phase, immediately following Step 2, which in turn states if  $d \in N(x)$  after that forward the particular package to d.

Steps 3 and 4 are shown in Fig. 3. The neighbors of x are p, q, and r; of these, p and q have the lowest multiplicity. Since  $c(x, q) + c(q, d) < c(x, p) + c(p, d)$ , the packet is next forwarded to q.

If we apply the method to the square of Fig. 1, using source s, location d, and link (s, d) unsuccessful, s will certainly send the particular packet to u. Considering that at this point  $\Delta(v) = 0$  and  $\Delta(s) = 1$ , after that u forwards the particular packet to v. Considering that at this point  $\Delta(d) = 0$  in addition to  $\Delta(u) = 1$ , after that versus forwards the particular package to the location d. So the process quickly computes a different route for that square, which is a case where LFA fails.

An even more fascinating case can be provided by Fig. 4, wherever almost all arcs have price 1, aside from (z, d) having cost 10. Suppose (s, d) fails and also the IGP haven't yet re-converged. When with Step 4 connected with Route(s, t) most of us split ties through choosing the actual lexicographically most compact node (e. gary., closer to "a" inside the alphabet), next the route was taken can be  $s \rightarrow u \rightarrow v \rightarrow w \rightarrow x \rightarrow y \rightarrow z \rightarrow d$ . When with Step 4 connected with Route(s, t) most of us split ties through choosing the actual lexicographically biggest node (e. g., closer to "z" in the alphabet) subsequently u forwards the actual packet to z, as well as z forwards the actual packet to y, given that  $\Delta(y) = \Delta(d) = 0$  nevertheless  $c(z, y) + c(y, d) = 1 + 4 < c(z, d) = 10$ . The particular packet may ultimately reach d, nevertheless by a lengthier route compared to while using the "lexicographically smallest" guideline.

To help carry out this kind of, the actual packet header can be broadened to stipulate the actual multiplicity of every node. To get a small multilevel (e. g., a new regional admittance multilevel, which has been the application motivating this kind of method) the actual ram needed for this can be small. Concerning throughput criteria, MPLS networks these days normally practice packets having even 5 product labels in a collection, without having restricting throughput. For small admittance networks, the actual control desired to look for the neighbor to which the actual packet ought to be routed (Steps 3 as well as 4 above) will also be done without having restricting throughput.

### 3. CONVERGENCE PROOF

In this section, we prove that  $Route(s, d)$  will find a path in  $(N, A)$  from s to d, if such a path exists. For  $x \in N$ , let



Fig. 5. Disconnected network

**Lemma.** For  $(x, y) \in A$ , and at any point during the packet's path,  $\Delta(y) \geq (\Delta(x)/deg(x)) - 1$ .

**Proof.** Each time the packet leaves x to some neighbor y of x, on the next step either  $\min_{n \in N(x)} \Delta(n)$  will increase, or the Cardinality of the set  $\{y \in N(x) / \Delta(y) = \min_{n \in N(x)} \Delta(n)\}$  will decrease. The second alternative can happen at most  $deg(x)$  times before the cardinality of this set drops to the value 1, so the first alternative must happen at least once every  $deg(x)$  times.

The packet must have had a next step after leaving x at least  $\Delta(x) - 1$  times. Thus,  $\min_{n \in N(x)} \Delta(n)$  must have been increased at least  $(\Delta(x) - 1)/deg(x)$  times. But  $\Delta(y)$  is included in that min, so  $\Delta(y) \geq (\Delta(x) - 1)/deg(x) \geq (\Delta(x)/deg(x)) - 1$ .

**Corollary 1.** For  $(x, y) \in A$ , and at any point during the packet's path, if  $\Delta(x) \geq 2 deg(x)$ , then  $\Delta(y) \geq \Delta(x)/(2 deg(x))$ .

**Proof.** By the Lemma,  $\Delta(y) \geq (\Delta(x)/deg(x)) - 1 = (\Delta(x) - deg(x))/deg(x)$ . If  $\Delta(x) \geq 2 deg(x)$ , then  $(\Delta(x) - deg(x))/deg(x) \geq (\Delta(x) - (\Delta(x)/2))/deg(x) = \Delta(x)/(2 deg(x))$

Consider Fig. 5, where all arc costs are 1, and suppose link (b, d) fails. Without a stopping criterion,  $Route(s, d)$  will create the cycles  $\rightarrow a \rightarrow b \rightarrow a \rightarrow s$  and repeat this cycle indefinitely. However, by examining path P to detect cycles, we can provide a

stopping criterion. Let  $C$  be a finite length sub-string of  $P$  such that the first and last elements of  $C$  are both the source nodes (so  $C$  is a cycle). For example, for Fig. 5 we would choose  $C = \{s, a, b, a, s\}$ . Let  $C^0$  be the substring of  $C$  obtained by deleting the initial elements, e.g.,  $C^0 = \{a, b, a, s\}$  for this example. Let  $\{C, C^0\}$  be the string obtained by appending  $C^0$  to the end of  $C$ ; e.g., for our example,  $\{C, C^0\} = \{s, a, b, a, s, a, b, a, s\}$ . The following theorem says that if at some point  $P$  consists of two identical

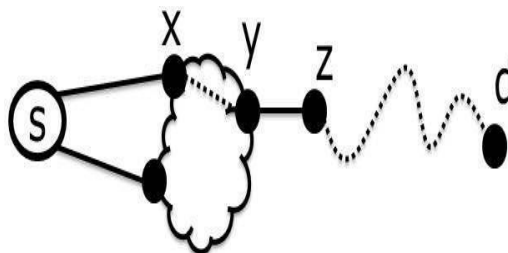


Fig. 6. Forest of cycles rooted at  $s$ .

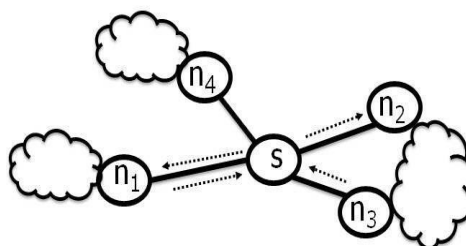


Fig. 7. Case 2:  $x \in NP$ .

Cycles, then there is no path from  $s$  to  $d$  and  $Route(s, d)$  can be stopped.

**Theorem 2.** If for some finite length string  $C$ , whose first and last elements are  $s$ , procedure  $Route(s, t)$  generates a path  $P$  such that  $P = \{C, C^0\}$ , then there is no path from  $s$  to  $d$  and  $Route(s, d)$  can be terminated.

**Proof.** Suppose such a string  $C$  exists. Suppose  $C$  contains a total of  $k + 1$  occurrences of node  $s$ . Since  $C$  begins and ends with  $s$ , then  $k \geq 1$ . For  $1 \leq i \leq k$ , let  $C_i$  be the substring of  $C$  starting with the  $i$ -th occurrence of  $s$  and ending with the  $(i + 1)$ -st occurrence of  $s$ . For example, if

$C = \{s, x, y, z, x, s, e, h, f, h, g, s\}$  then  $C_1 = \{s, x, y, z, x, s\}$  and  $C_2 = \{s, e, h, f, h, g, s\}$ . Each of the  $k$  substrings  $C_i$  defines a loop that either (*case 1*) leaves  $s$  and returns to  $s$  from the same “loop gateway node” (e.g.,  $C_1$  leaves and returns to  $s$  from  $x$ ), or (*case 2*) leaves  $s$  and returns to  $s$  from different “loop gateway nodes” (e.g.,  $C_2$  leaves  $s$  from  $e$  and returns to  $s$  from  $g$ ). These two possibilities are illustrated in Fig. 6, where *case 1* is illustrated by the loop leaving/returning at the loop gateway node  $n_1$ , and also by the loop leaving/returning at loop gateway node  $n_4$ , and where *case 2* is illustrated by the loop leaving at the loop gateway node  $n_2$  and returning from the loop gateway node  $n_3$ .

Let  $N_P$  be the set of nodes visited in  $P$ . For example, if  $P = \{s, x, y, z, x, s, e, h, f, h, g, s\}$  then  $N_P =$

$\{s, x, y, z, e, h, f, g\}$ . Since each of the  $k$  loops in  $C$  is traversed twice, the multiplicity of each node in  $N_P$  must be at least two. Suppose, contrary to the statement of Theorem 2, that there is a path  $P_{s,d}$  from  $s$  to  $d$ . We can assume without loss of generality that  $P_{s,d}$  contains no loops.

Let  $x$  be the successor node to  $s$  on path  $P_{s,d}$ . We consider two cases. First, suppose  $x \notin NP$ . Consider the iteration where  $Route(s, d)$  has just generated the partial path  $C$  and returned to  $s$ . Then each node in  $NP$  has multiplicity at least 1, but  $x$  has multiplicity 0, since  $x \notin NP$ . node  $x$  will be picked before again selecting any node in  $N_P$ . But  $Route(s, d)$  did not pick  $x$ , and instead ultimately generated the path  $\{C, C^0\}$ . Hence it must be that  $x \in N_P$ .

So consider the second case, where we assume  $x \in N_P$ . Suppose  $x$  lies on loop  $i$ , where  $1 \leq i \leq k$ . No node on loop  $i$  is the destination  $d$ , for otherwise, the algorithm would have halted. So there must be the last node  $y$  which lies on  $P_{s,d}$  and

which also lies on loop  $i$ . (It might be that  $y = x$ .) Let  $z$  be the successor node to  $y$  on the path  $P_{s,d}$ , so  $z$  is not on loop  $i$ . (see Fig. 7). We consider two sub-cases. Suppose first that  $z \notin NP$ . Consider the iteration where the path  $P$  generated by  $Route(s, d)$  has traversed loop  $i$  once, and then later returns to  $y$ . Then each node on this loop has multiplicity at least 1, but  $z$  has multiplicity 0, since  $z \notin NP$ . By Step 3 of  $Route(s, d)$ ,  $z$  will be picked before again selecting a node on loop  $i$ . But  $Route(s, d)$  did not pick  $z$ , and instead traversed this loop a second time. Hence it must be that  $z \in N_P$ .

Finally, consider the second sub-case, where we assume  $z \in N_p$ . Since by definition  $z$  is not on loop  $i$ , then  $z$  must lie on some other loop, say loop  $j$ , where  $j \neq i$ . By the same arguments as above, the path  $P_{s,d}$  must leave loop  $j$ , and when it does so it must immediately visit another loop. This jumping between loops can occur at most  $H$  times, where  $H$  is the number of arcs in path  $P_{s,d}$ . Thus  $P_{s,d}$  never reaches  $d$ , which contradicts the definition of  $P_{s,d}$ . Hence this second sub-case  $z \in N_p$  yields a contradiction, and hence the second case  $x \in N_p$  cannot hold.  $p$  and  $x_p$  cannot hold.

Having shown that both  $x \notin NP$  and  $x \in NP$  cannot hold, we conclude that there is no path  $P_{s,d}$  from  $s$  to  $d$ .

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